A Non-contact Detection Method for Smelting in Submerged Arc Furnace based on Magnetic Field Radiation

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This paper demonstrates the key parameter detection for smelting of submerged arc furnace (SAF) based on magnetic field radiation. A magnetic field radiation model for the inner structure of SAF is established based on relative theory of electromagnetic field. A simple equipment of 3D magnetic field detection system is developed by theoretical derivation and simulation. The experiments are carried out under the environment of industrial field and AC magnetic field generated by electrode currents and molten currents in the furnace is reflected outside of the furnace. The experimental results show that the key parameters of smelting including the position of electrode tip, the length of electric arc, and the liquid level of molten bath can be achieved. The computed tomography for SAF can be realized by the detection for smelting.

Keywords: submerged arc furnace, key parameter of smelting, magnetic field detection

1. Introduction

Submerged arc furnace (SAF) is an industrial electric furnace which can smelt ores and extract useful metals by electric arc discharge. The electric arc occurs between furnace burden and the tip of electrodes which are the critical components that inject large current into the furnace to perform arc smelting [1]. In the process of smelting, heat distribution in furnace and balance degree of three-phase power in molten bath is regulated by lifting and lowering electrodes [2, 3].

Three smelting parameters, including the position of electrode tip, the length of electric arc and the liquid level of molten bath, are very important for the smelting process of SAF. In most situations, the smelting parameters are achieved by simple instruments and personal experiences. However, this method is difficult to get the optimal smelting parameters which have a great influence on technical and economic parameters such as energy consumption and ore consuming. To overcome the drawback, lots of methods have been proposed on the measurement of these key parameters. Some of these methods get the parameter values through indirect calculation and specu-

lation [4-7]. Other methods get the position of electrode tip roughly [8, 9].

In order to solve the problems of low accuracy and the difficult detection for key smelting parameters in SAF, a non-contact measuring method using magnetic field analysis is put forward based on electromagnetic radiation principle in this paper. The theoretical analysis and preliminary experiments are carried out and the measuring approach can achieve the key parameters of smelting. A solution to the key parameter detection of smelting is suggested and a CT (Computed Tomography) is tailored for SAF from a new perspective.

The rest of paper is organized as follows. Section 2 introduces the theory background of the measurement. In Section 3, the proposed method is analyzed. Experimental results are presented in Section 4, and the conclusions are given in Section 5.

2. Theory Background

The hearth structure [10-12] of SAF is shown in Fig. 1. The electric arc is generated between electrode tip and molten bath from Fig. 1. The molten alloys gather in molten bath and the top of molten bath surface, namely liquid level.

Based on the Biot-Savart law [15], in any circuit loop at any point, the current element $Id\vec{l}'$ is termed as source

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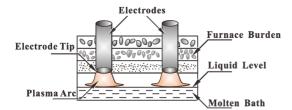


Fig. 1. (Color online) The hearth structure of SAF.

point. Those points which are needed to compute magnetic induction intensity \vec{B} are called as field points. The magnetic induction intensity which is generated by current element $Id\vec{l}'$ can be described as Eq. (1).

$$d\vec{B}(\vec{r}) = \frac{\mu_0}{4\pi} \frac{Id\vec{l}' \times (\vec{r} - \vec{r}')}{\left|\vec{r} - \vec{r}'\right|^3}$$
(1)

where μ_0 is the permeability of vacuum; \vec{r}' is the position vector of the source point; \vec{r} is the position vector of the field point.

From Eq. (1), the magnetic induction intension generated by current-carrying straight wire with current I can be expressed by the following equation:

$$B = \frac{\mu_0 I}{4\pi r} (\cos \theta_1 - \cos \theta_2) \tag{2}$$

in which \vec{r}_1 is the distance vector from the starting point of the straight wire carrying current I to the field point; \vec{r}_2 is the distance vector from the end point of the straight wire carrying current I to the field point; θ_1 is the angle between the distance vector \vec{r}_1 and the current element located at the starting point of the straight wire; θ_2 is the angle between the distance vector \vec{r}_2 and the current element located at the end point of the straight wire.

According to the theory mentioned above, when the current value through electrodes reaches as high as 100,000 A, there inevitably exists magnetic field information reflecting the current value and direction inside the furnace. Therefore, through the available information of magnetic field distribution, the three key parameters can be obtained, including the position of electrode tip, the length of electric arc and the liquid level.

Through the electrodes, large currents flow into the furnace, in which the circuit can be regarded as two types of loop, namely star circuit loop and triangle circuit loop [13, 14], and the two types of loop can be equivalently transformed. In this paper we use the triangle loop as an example to analyze the circuit model. Based on the electromagnetism, magnetic field radiation model of SAF is established, as shown in Fig. 2.

In Fig. 2, I_A , I_B , and I_C are the currents of electrode A,

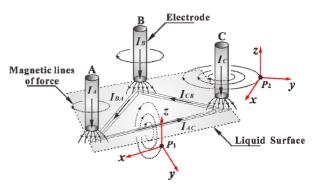


Fig. 2. (Color online) The magnetic field radiation model of SAF.

B, and C, respectively, and I_{AC} , I_{CB} , and I_{BA} are the currents in the molten bath. Currents flow into the furnace along each electrode and form a triangle circuit loop near the liquid surface. The two points P_1 and P_2 are the measured origin; I_{AC} is the molten bath current parallel to the x-axis at point P_1 ; I_C is the electrode current parallel to the z-axis at point P_2 . In order to compute conveniently, the concepts of electrode line and perpendicular bisector are defined as shown in Fig. 3.

In Fig. 3 the plan view of SAF is given. On the plane parallel to the molten bath surface, a regular triangle is generated through connecting three vertex electrodes, and the core of SAF is the center of the triangle. The line connecting the electrode and the furnace core is called electrode line. The vertical of each edge of the regular triangle is termed as perpendicular bisector. It can be seen that the perpendicular bisector is parallel to y-axis at point P_1 , and electrode line is parallel to y-axis at point P_2 .

The detected point P_1 in Fig. 2 is assumed to be the origin o, and several detection points $(S_1, S_2, \dots, S_m, \dots, S_i)$ are chosen from the z-axis. In these detection points, the point S_m , which overlaps with the point P_1 , locates on the geometric plane generated by current I_{AC} , I_{CB} , and I_{BA} . The magnetic induction intensity distribution at point P_1 in perpendicular bisector is shown in Fig. 4 under the influence of the magnetic field produced by current I_{AC} .

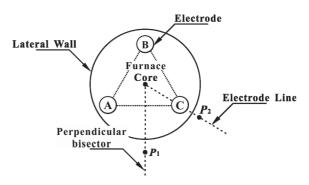


Fig. 3. The plan view of SAF.

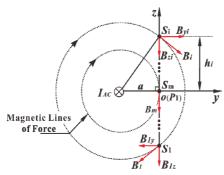


Fig. 4. (Color online) The diagram of magnetic induction intensity distribution at detected point P_1 .

From Fig. 4 and Eq. (2), it can be seen that the magnetic flux density components of the detection point S_i along the x, y and z-axis are B_{xj} , B_{yi} , and B_{zi} which are given as Eq. (3).

$$B_{yi} = \frac{\mu_0 I_{AC} L}{2\pi} \frac{h_i}{(a^2 + h_i^2) \sqrt{L^2 + 4(a^2 + h_i^2)}}$$

$$B_{xi} = 0$$

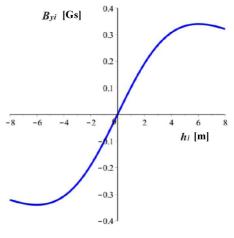
$$B_{zi} = \frac{\mu_0 I_{AC} L}{2\pi} \frac{a}{(a^2 + h_i^2) \sqrt{L^2 + 4(a^2 + h_i^2)}}$$
(3)

where h_i is the height of detection point S_i ; a is the distance from the origin o to the pathway of current I_{AC} ; L is the length of current I_{AC} in the molten bath.

Because the detection point is outside of the furnace, μ_0 is equal to $4\pi \times 10^{-7}$ H/m, and I_{AC} is approximately equal to 40 kA [16, 17]. The bottom of the furnace is 1.3 m away from the ground, the height of the furnace body is around 3.7 m, and the range of the parameter h_i is [-8 m, 8 m]. According to the environmental observation in real scene, the values of the parameter a and L are set to $a \approx 8.5$ m and $L \approx 1.6$ m, respectively. We use the parameters mentioned above and Maple software to carry out simulation. The result is shown in Fig. 5.

From Fig. 5 B_{yi} is an odd function and B_{zi} is an even function in the range of [-8 m, 8 m]. The zero point of B_{yi} corresponds to the peak point of B_{zi} . The region which locates near the peak point of B_{zi} corresponds to the current pathway of the molten bath region. We found that B_{yi} and B_{zi} contain the information of the liquid level in molten pool through observing the points in perpendicular bisector.

The detected point P_2 in Fig. 2 is assumed to be the origin o', and several detection points $(S_1, \dots, S_n, \dots, S_j \dots)$ are chosen on the z-axis. h_j is the height of the point S_j , and h_n is the height of the liquid level in molten pool. The magnetic induction intensity distribution at point P_2 on



(a) h_i - B_{yi} curve

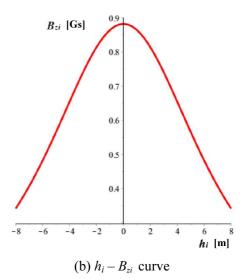


Fig. 5. (Color online) The simulation results of magnetic flux intensity distribution at detected point P_1 .

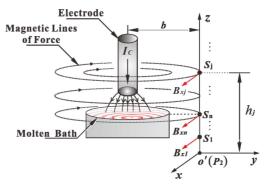


Fig. 6. (Color online) The diagram of magnetic induction intensity distribution at detected point P_2 .

electrode line is shown in Fig. 6 under the influence of the magnetic field produced by the current I_C .

From Fig. 6 and Eq. (2), the magnetic flux density

components of the detection point S_j along the x, y and z-axis are B_{xj} , B_{yj} , and B_{zj} which are presented as Eq. (4):

$$\begin{cases}
B_{xj} = 0 & (1 \le j < n) \\
B_{xj} = \frac{\mu_0}{4\pi} \int_{(L)} \frac{I_C d \overrightarrow{l} \times \overrightarrow{r}}{b^2} & (j \ge n) \\
B_{yj} = B_{zj} = 0
\end{cases} \tag{4}$$

in which b is the distance from the origin o' to the pathway of current I_C . L is the length of the current-carrying straight wire with current I_C .

The currents turn to transverse direction below the liquid surface [16], so $B_{xj} = 0$ ($1 \le j < n$), and over the liquid surface $B_{xj} \ne 0$ ($j \ge n$). In this case both B_{yj} and B_{zj} are the constant 0. Thus, the key parameters, including liquid level and electrode tip, can also be obtained at the point P_2 .

3. Experimental Method

The detecting system of 3D magnetic field is composed of three identical subsystems, and the outputs of three dimensions along the x, y and z-axis are V_x , V_y , V_z , respectively. We take the x-dimension as an example to explain the system in which the circuit is composed of probe, operational amplifier (OPA), low-pass filter (LPF), and RMS conversion circuit, and it is shown in Fig. 7.

In Fig. 7, the AC signal from the probe that detects magnetic field information is translated into the effective value signal as the output signal. Fig. 8 shows the scene of basic experiments.

In Fig. 8 the current-carrying coil generates magnetic

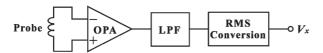


Fig. 7. Block diagram of magnetic field sensing system of *x*-axis.



Fig. 8. (Color online) The scene of basic experiments.

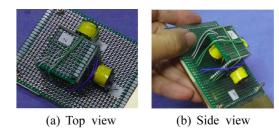


Fig. 9. (Color online) The physical map of 3D probe.

field to simulate the environment of SAF in real scene. The detecting system of 3D magnetic field receives magnetic field data using 3D probe. The physical map of 3D probe is shown in Fig. 9.

We perform real measurements on the SAF of ferrosilicon manganese alloy at a metallurgical company in Yinchuan city in China. According to the theoretical analysis, the distribution of B_{yi} and B_{zi} in perpendicular bisector contains the information of liquid level, and the distribution of B_{xj} on electrode line also contains the key information of liquid level.

After multiple experiments, we choose the test site between perpendicular bisector and electrode line, and the angle between the electrode line and the line connecting the test site and the furnace core is set to about 20° . We set the origin o beneath the bottom of furnace which is about 6 m away from the lateral wall. The measuring range covers the electrode tip, which is shown in Fig. 10.

In Fig. 10, we sample 15 points along the z-axis for every 10 cm starting from the origin o. The measurement is repeated six times at each point, and the mean of the measurement results is taken. The experimental scene in industrial field is shown in Fig. 11.

It should be noted that the magnetic flux intensity has not been calibrated due to the limit of testing equipment. So we only present the output voltage of the system.

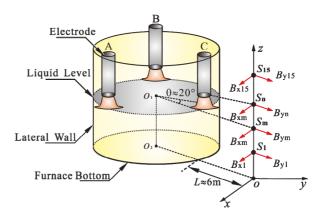


Fig. 10. (Color online) The sketch map of measuring points in real industrial field.



Fig. 11. (Color online) The experimental scene in industrial field.

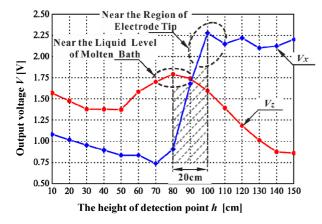


Fig. 12. (Color online) The analysis on testing results.

4. Results and Discussion

Due to the reason of detection point position, it is hard to get the obvious information of magnetic flux density component B_y , which makes the characteristic variation of $h \sim V_y$ curve less evident. Therefore, in this paper we only analyze $h \sim V_x$ curve and $h \sim V_z$ curve, as shown in Fig. 12.

From Fig. 12 it can be found that:

- (1) When h < 80 cm, the output voltage V_x is low which indicates this section lies beneath the electrode tip; when h > 100 cm, the output voltage V_x is high which indicates this section lies above the electrode tip. From above, we can conclude that $h \sim V_x$ curve has close correlation with Eq. (4).
- (2) The $h \sim V_z$ curve appears as a shape of bell, whose peak position shows that it lies on the same horizontal position with the transverse current I_{AC} . The curve of $h \sim V_z$ has close relation to $h_i \sim B_{zi}$ curve in Fig. 5 (b).
- (3) It can be inferred from the two testing curves above that the electric arc beneath the electrode tip may lie in one of segments in the range of 20 cm shown in Fig. 12.

5. Conclusions

Based on electromagnetic principle, a magnetic field detection method for key smelting parameters of SAF is proposed. We prove that AC magnetic field generated by electrode currents and molten currents in the furnace is reflected outside of the furnace. And the key parameter information, such as the position of electrode tip, the length of electric arc, and the liquid level of molten bath, can be achieved by the magnetic field distribution outside of the furnace. Moreover, experimental results are consistent with the theoretical derivation on the magnetic field distribution, which illustrates the effectiveness of the proposed method.

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